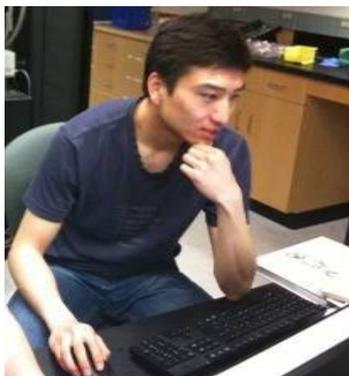


Simultaneous vectorial spin mapping of a topological insulator using circular dichroism in time of flight photoemission

Nuh Gedik



Acknowledgements



Yihua Wang

Experiment:

Yihua Wang, David Hsieh
(Gedik Group MIT)

Materials growth:

Dillon Gardner, Young Lee (MIT)

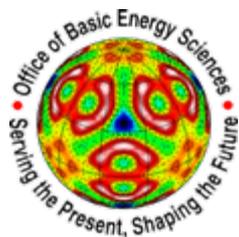


David Hsieh

Theory

Liang Fu (Harvard/MIT)

Funding



DOE



CMSE
MIT Center for Materials Science and Engineering



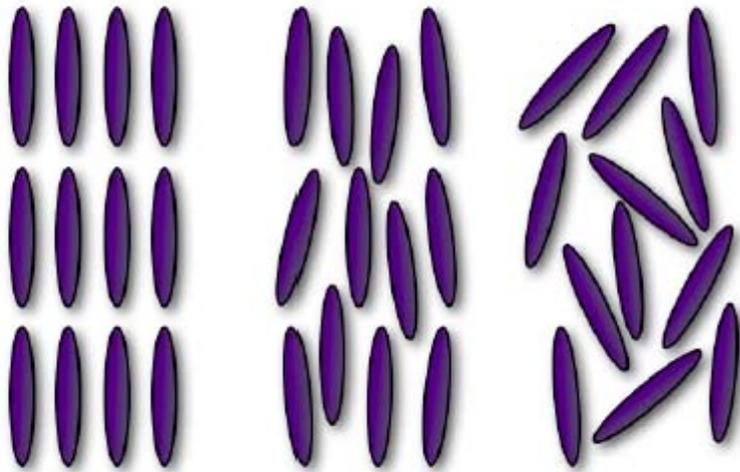
ARO



- Introduction to topological insulators (TIs)
- Direct visualization of spins in TIs with laser based ARPES
 - Angle resolved time-of flight based ARPES
 - Coupling to the spins with light
 - Detailed spin maps of topological insulators
- Conclusion & Outlook

Ordered phases in condensed matter physics

Classify phases by symmetry



Crystal

Liquid Crystal

Liquid



Landau

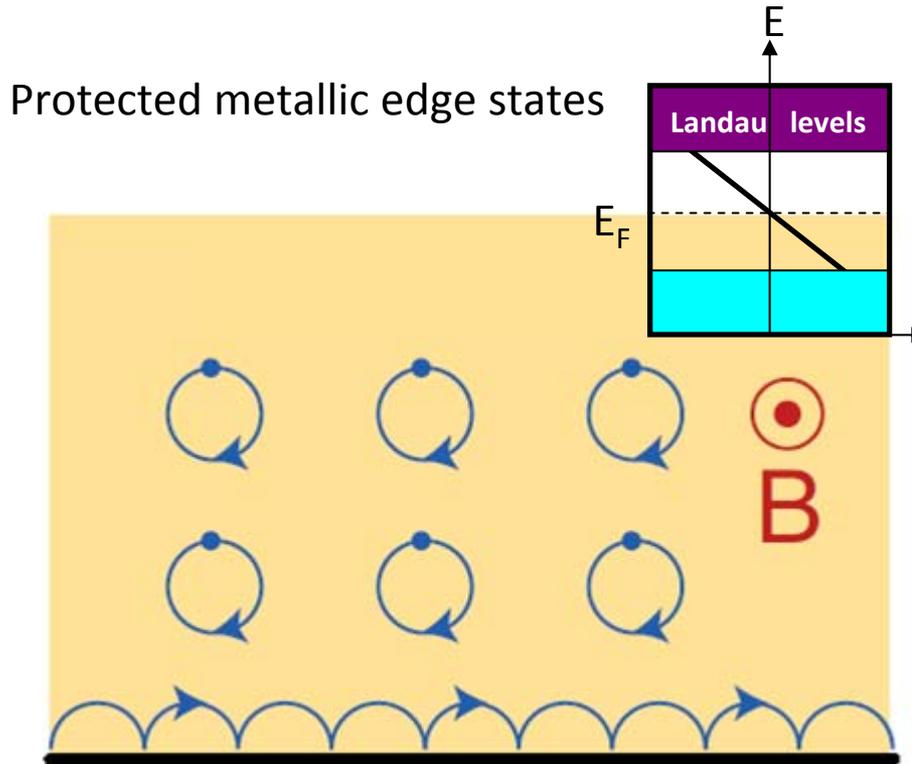
“a particular symmetry property exists or does not exist”

Order identified by a **spontaneously broken symmetry** :
liquid crystals, magnets, superconductors

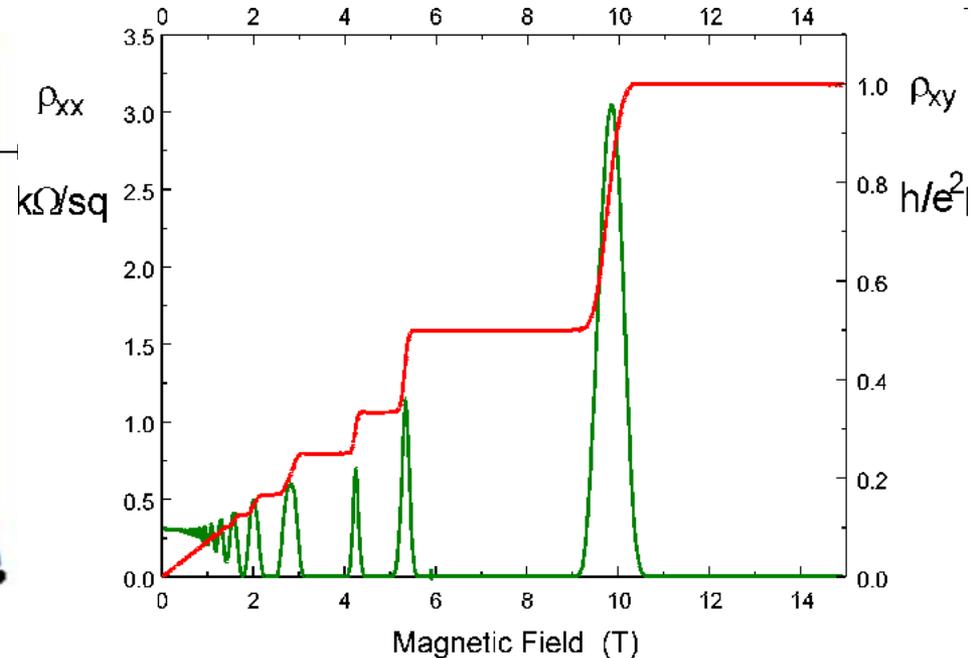
2D Quantum Hall Insulator

The *first* ordered phase beyond symmetry breaking (1980 von Klitzing)

Topological order induced by **magnetic field**



K. von Klitzing (Nobel Prize 1985)

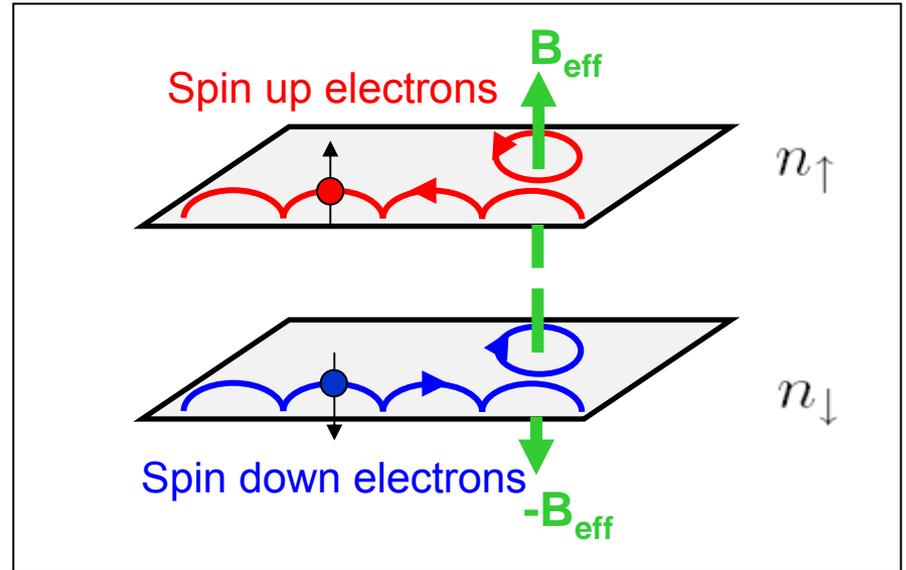
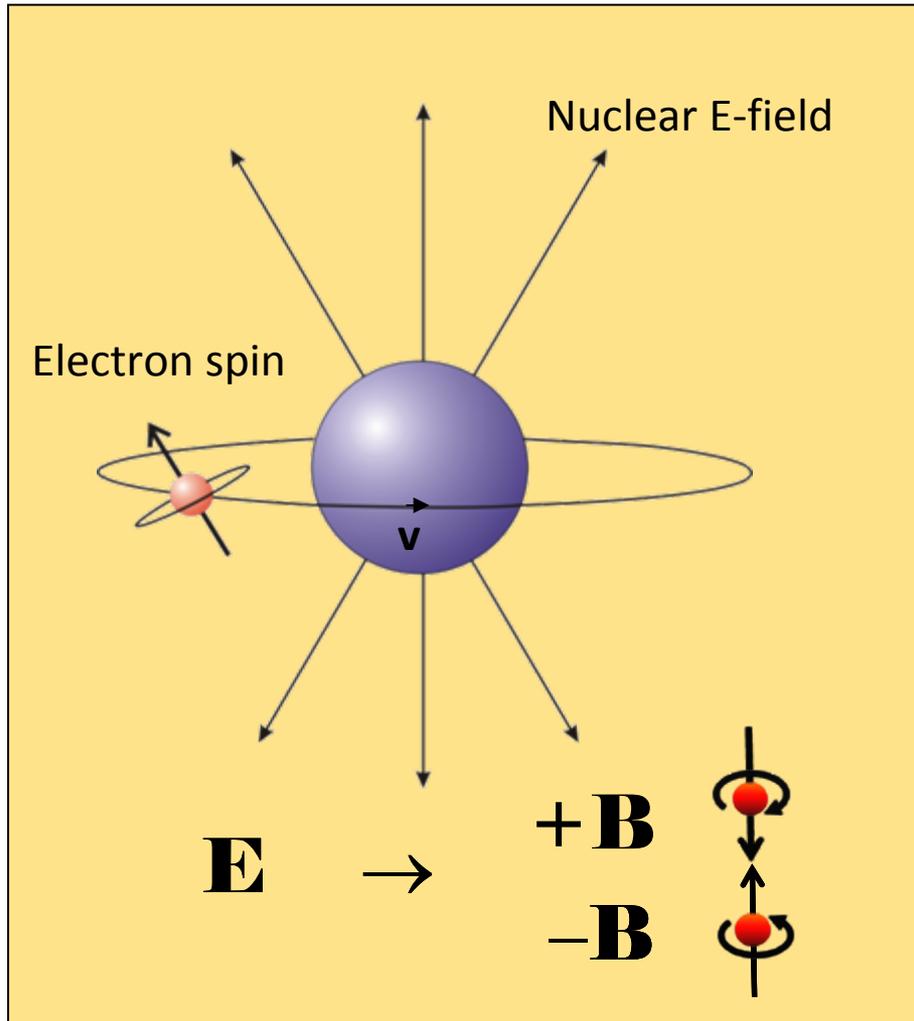


Hall Conductance $\sigma_{xy} = n e^2/h$

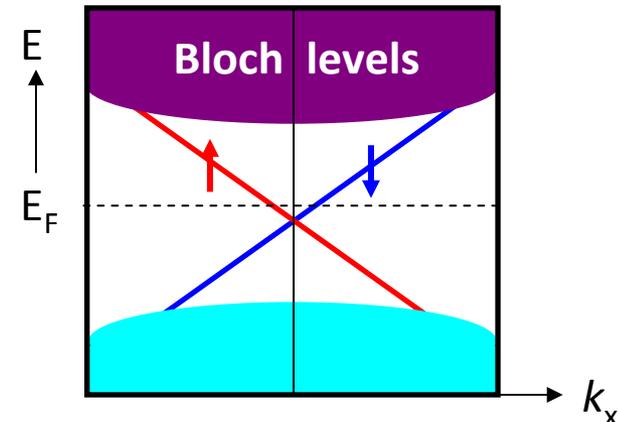
n is PRECISELY an integer even in dirty materials!!!

Topological order in 2D with NO magnetic field

Topological order induced by spin-orbit coupling , *zero magnetic field*



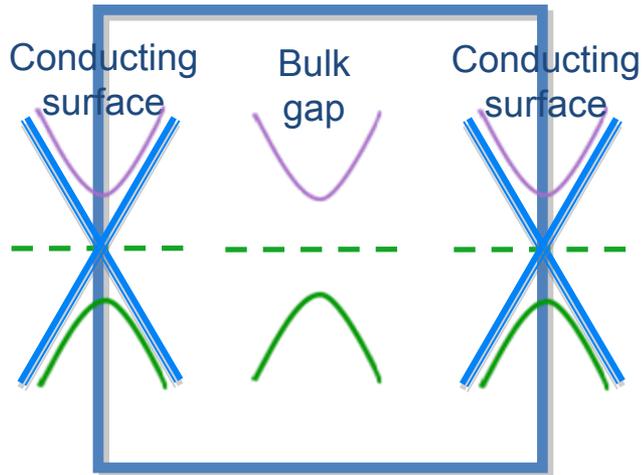
Spin-orbit coupled band insulator



Kane & Mele (2005)

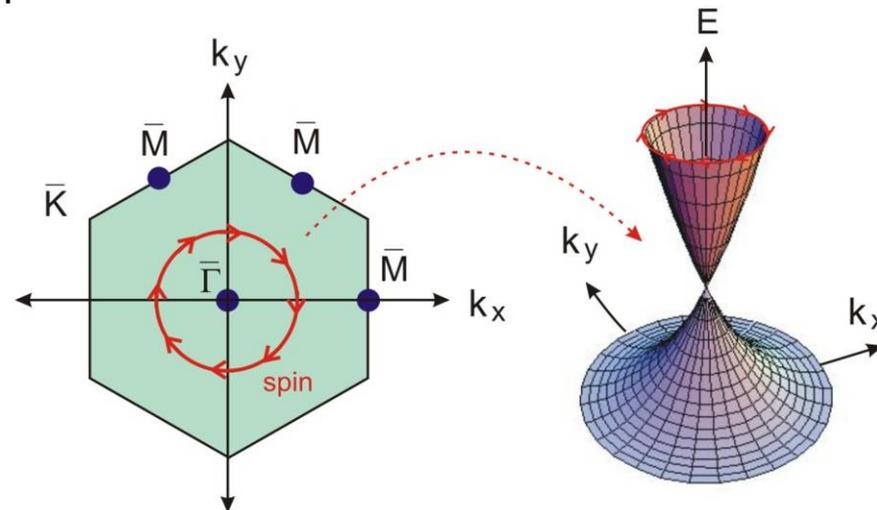
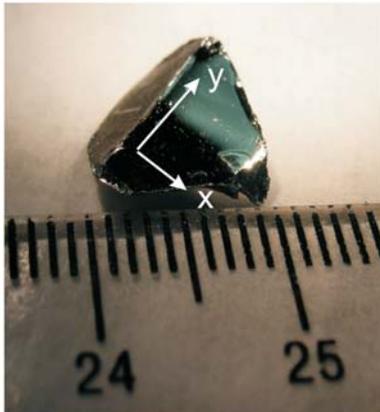
3D Topological Insulator

First genuinely 3D topological phase, *zero magnetic field*



A gapless metallic surface state appears at the surface of a topological insulator!

Crystals have protected metallic 2D surface states

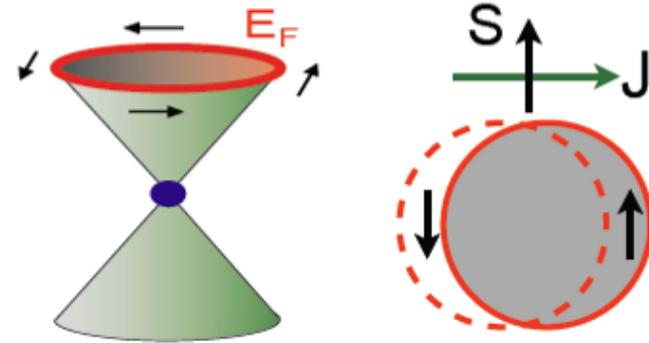


Unique properties of ideal 2D helical Dirac cones

Charge current \propto Magnetization

$$\vec{j} = v_F \vec{S} \times \hat{z} \quad (\text{Raghu et al, 2009})$$

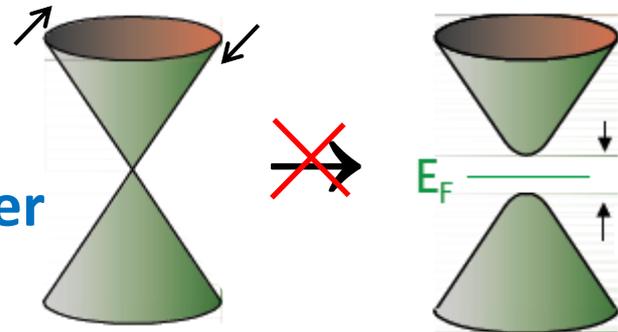
Potential new functionalities for spintronic and opto-electronic devices



Absence of backscattering

High mobility $\sim 10,000 \text{ cm}^2/\text{V}\cdot\text{s}$ (Qu et al, 2010)

Potential for robust and low power electronics

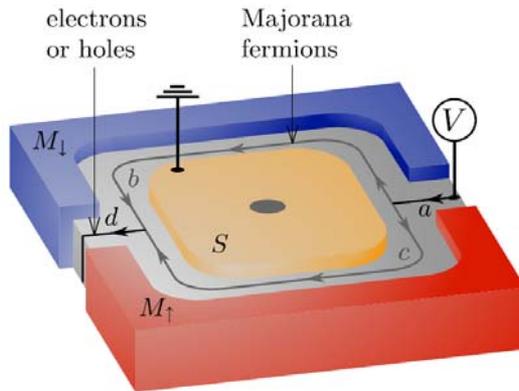


Immunity against non-magnetic disorder

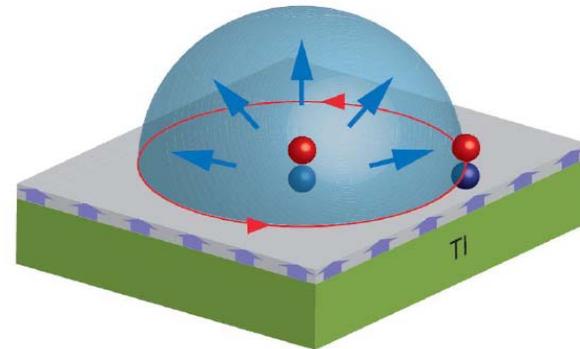
Surface states are protected by time reversal symmetry and protected against non-magnetic disorder

3D Topological insulators : Playground for new physics

Majorana fermions Topological quantum computing

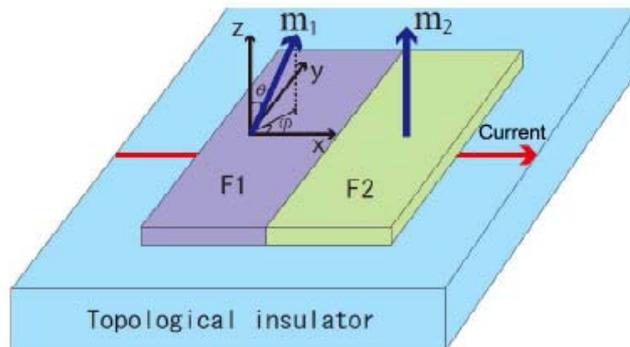


Axion electrodynamics



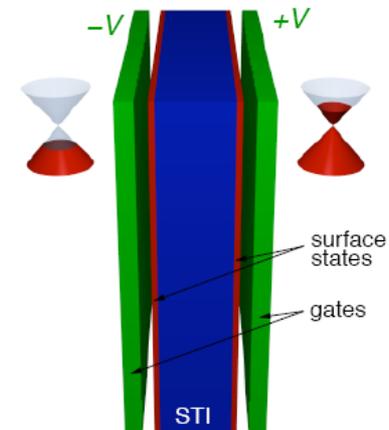
Qi et al, Science 323, 1184 (2009)

Low power spintronics



Phys. Rev. B 81, 121401(R) (2010)

Topological Bose condensate



B. Seradjeh et al PRL 2009

The challenges that motivated this work

Probing and control of Spin-momentum locking in real materials

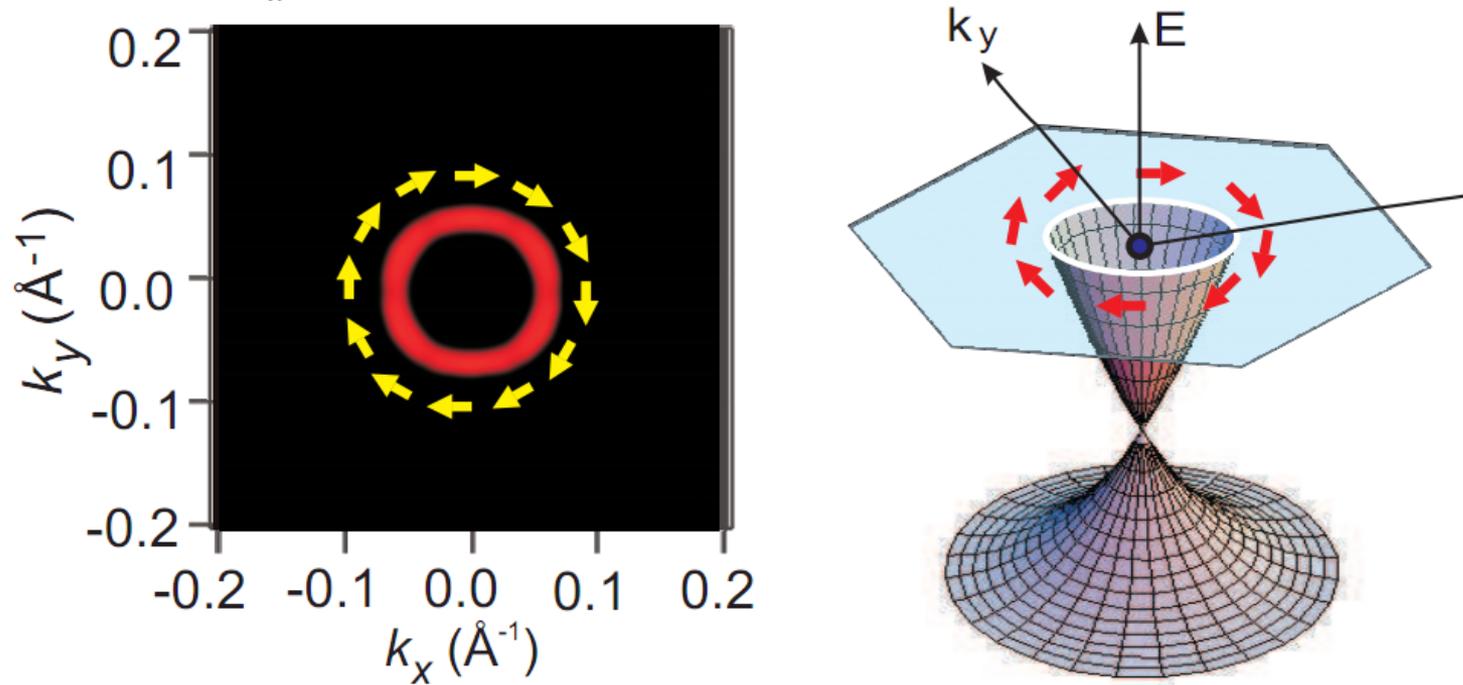
- Dispersion relation is not ideal Dirac cone in real materials
- The response of the spin structure against deviations in the band structure
- Optical manipulation of spin-momentum locking

Dynamical properties of surface states

- So far mostly equilibrium properties have been studied
- Responses to external stimuli such as light or magnetic field etc...

- Introduction to topological insulators (TIs)
- Direct visualization of spins in TIs with laser based ARPES
 - Angle resolved time-of flight based ARPES
 - Coupling to the spins with light
 - Detailed spin maps of topological insulators
- Conclusion & Outlook

Ideal Dirac description of Topological Insulators

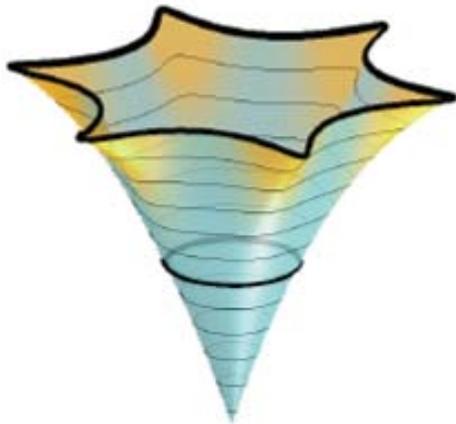


$$H(\vec{k}) = \hbar v_F (\vec{k} \times \vec{S}) \cdot \hat{z}$$

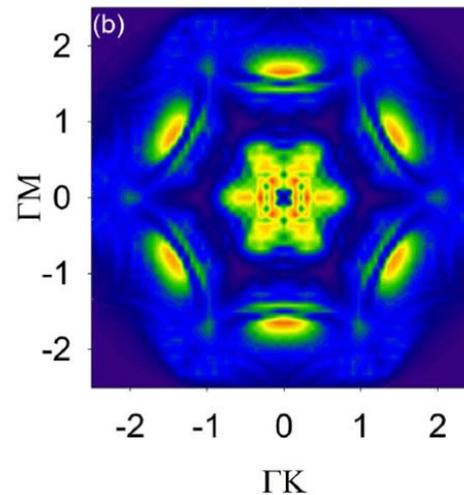
In reality surfaces are not ideal Dirac cones

To know how charge current and magnetization couple in real materials
Need to understand spin texture over *all phase space*

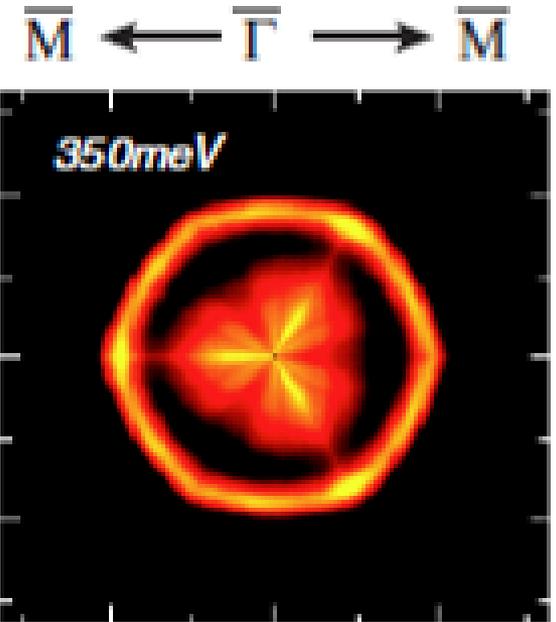
Fu (2010)



Lee et al. (2010)



Bi₂Se₃

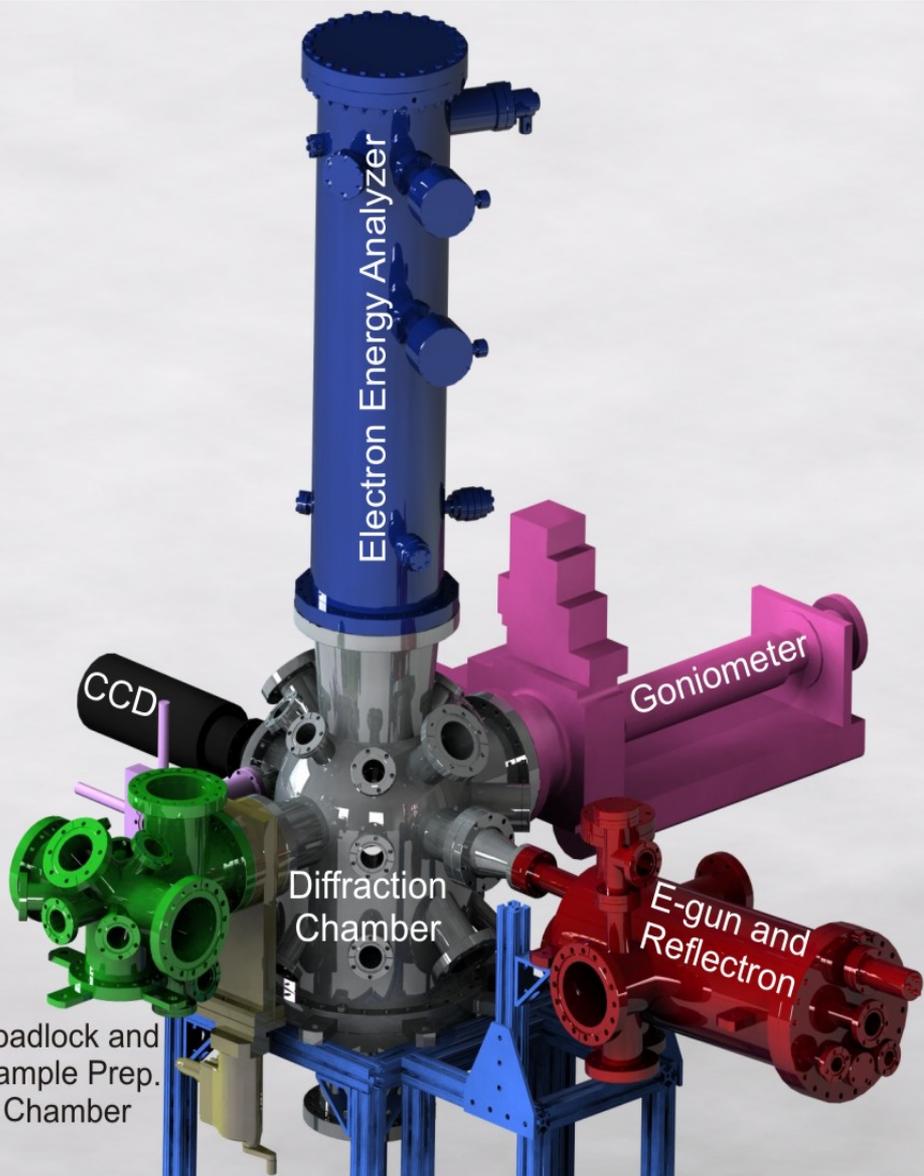
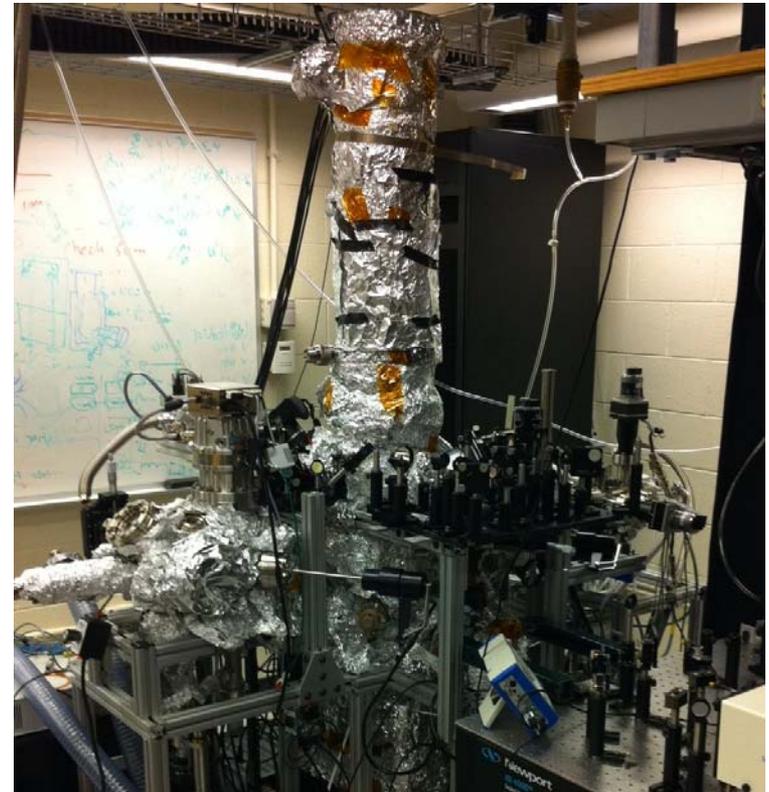
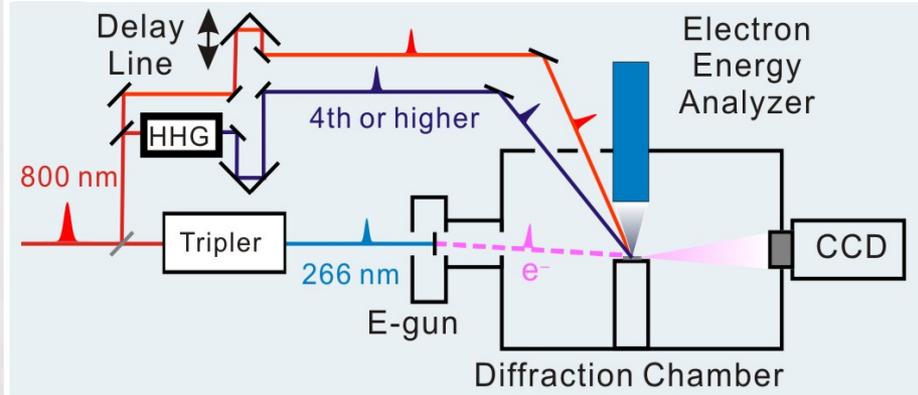


Kuroda et al (2010)

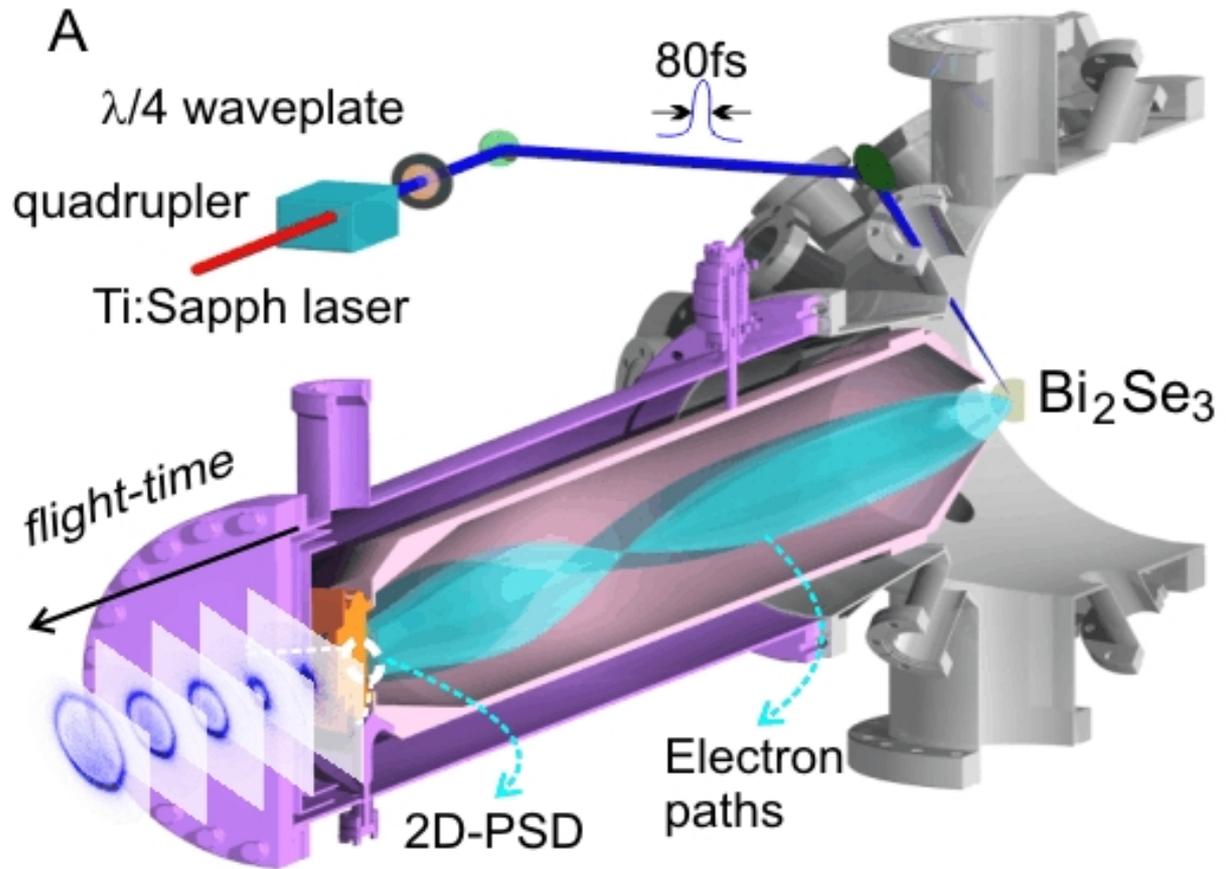
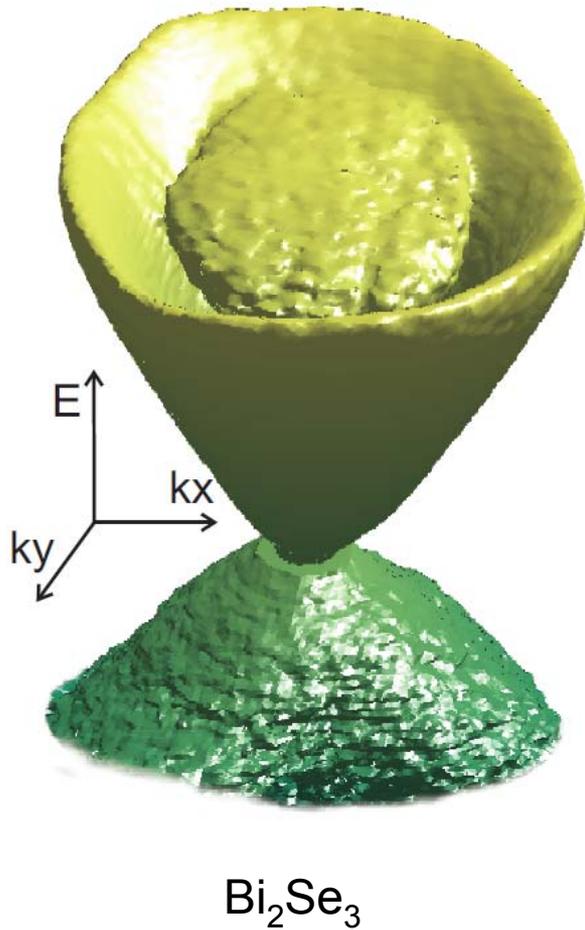
$$H = v(k_x s_y - k_y s_x) + \lambda(k_+^3 + k_-^3) s_z$$

- Introduction to topological insulators (TIs)
- Direct visualization of spins in TIs with laser based ARPES
 - Angle resolved time-of flight based ARPES
 - Coupling to the spins with light
 - Detailed spin maps of topological insulators
- Conclusion & Outlook

Angle resolved time-of-flight laser ARPES at MIT

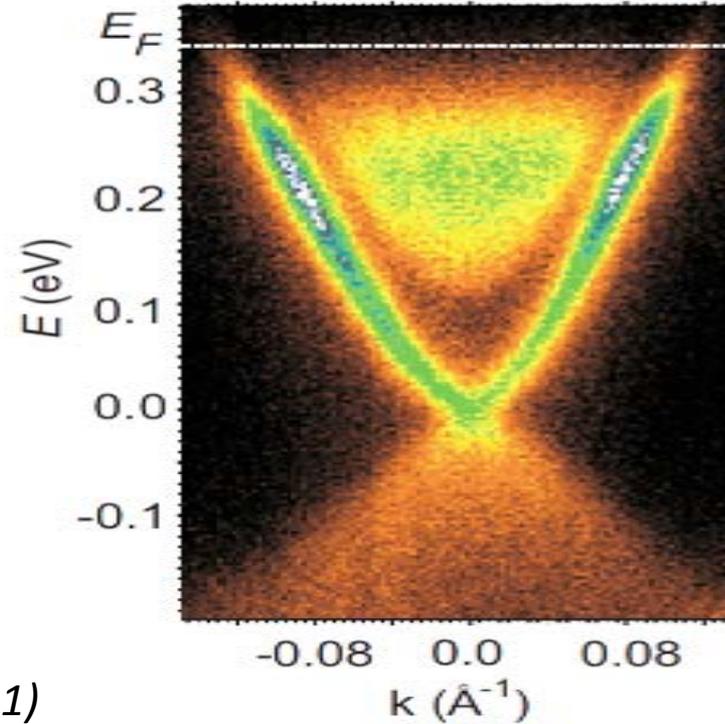
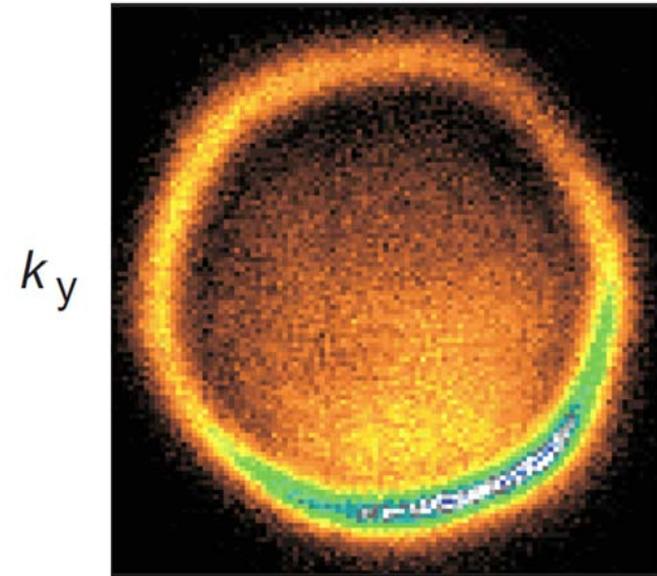
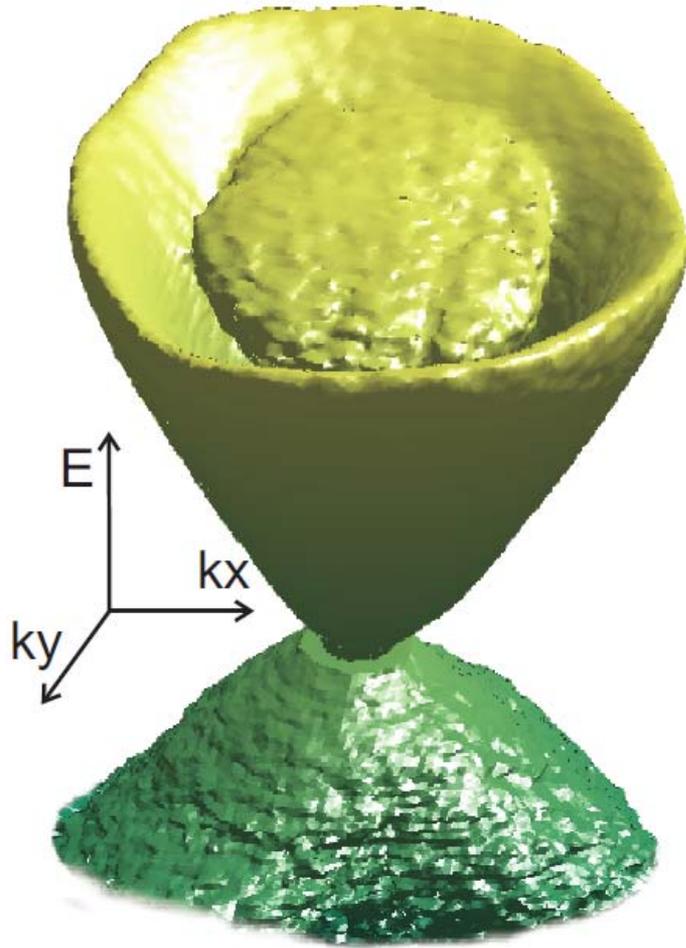


Probing Tis with angle resolved time-of-flight laser ARPES



Simultaneous phase space mapping

Resolved deformation features in Bi_2Se_3



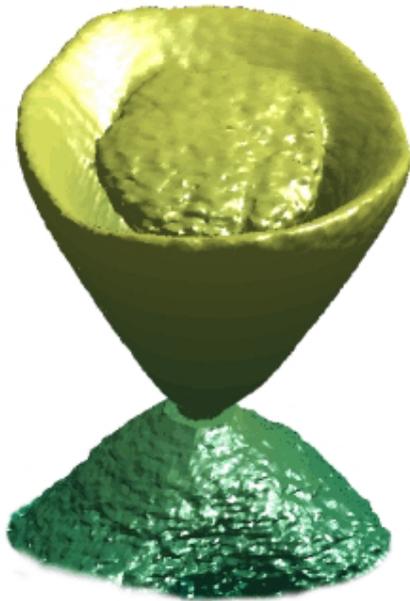
- Introduction to topological insulators (TIs)
- Direct visualization of spins in TIs with laser based ARPES
 - Angle resolved time-of flight based ARPES
 - Coupling to the spins with light
 - Detailed spin maps of topological insulators
- Conclusion & Outlook

Coupling to the spin with light

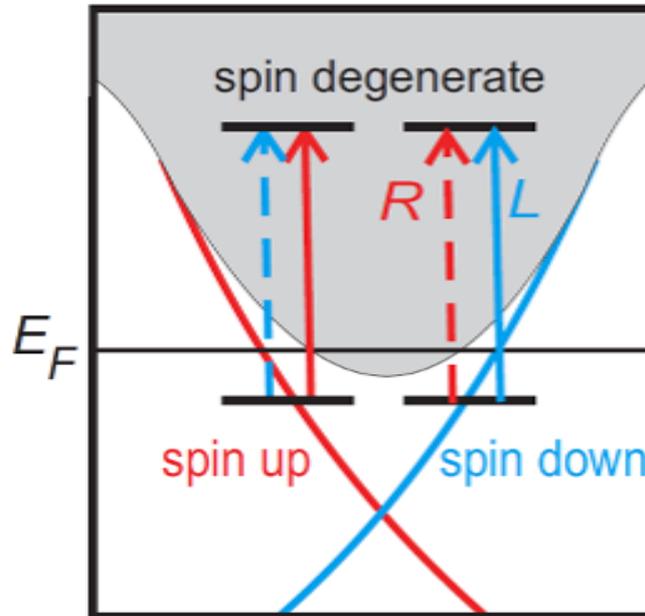
Optical (UV) excitation into high energy spin-degenerate bulk states

Transition probability sensitive to angle between angular momentum of circularly polarized photon and spin

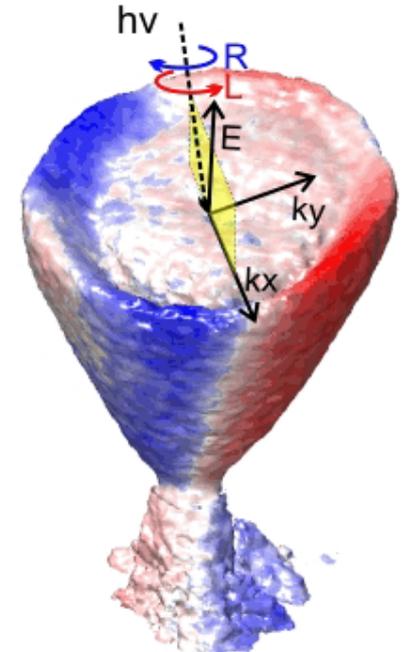
$$I(E, k_x, k_y)$$



Linear

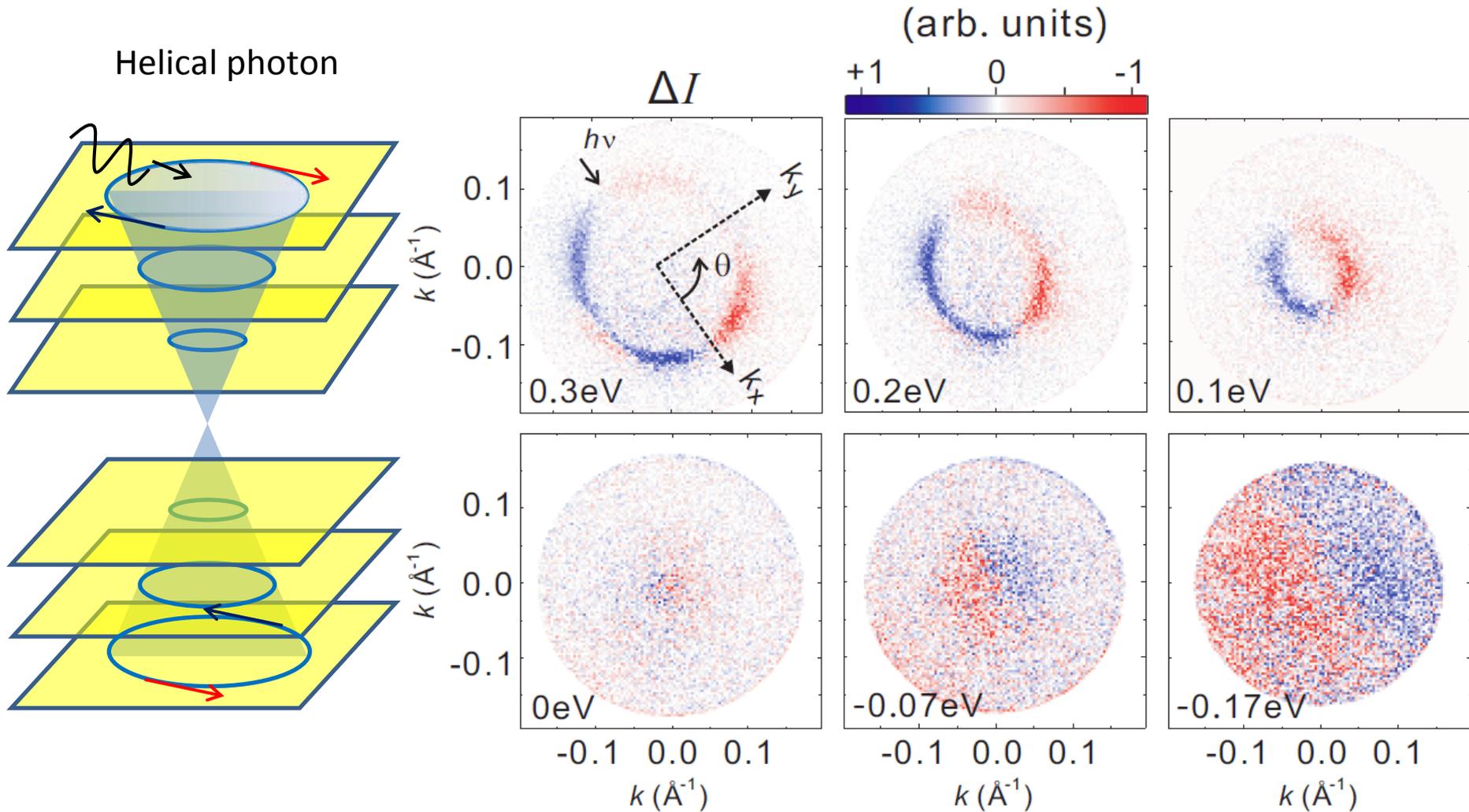


$$\Delta I(E, k_x, k_y)$$



(R) - (L)

Simultaneous spin mapping over Dirac cone



- Introduction to topological insulators (TIs)
- Direct visualization of spins in TIs with laser based ARPES
 - Angle resolved time-of flight based ARPES
 - Coupling to the spins with light
 - Detailed spin maps of topological insulators
- Conclusion & Outlook

3D vectorial spin analysis

ARPES matrix elements for transitions from helical surface states to bulk final states are derived from a spin-orbit Hamiltonian

$$H = \frac{\vec{P}^2}{2m} + U(\vec{r}) + \frac{\hbar}{4m^2c^2} (\vec{P} \times \vec{\nabla}V) \cdot \vec{s}$$

$$H(\vec{A}) = H - \frac{e\vec{P} \cdot \vec{A}}{m} - \frac{\hbar e}{4m^2c^2} (\vec{A} \times \vec{\nabla}V) \cdot \vec{s} + o(A^2)$$

Difference of **R** and **L** ARPES spectra at different sample angles allow

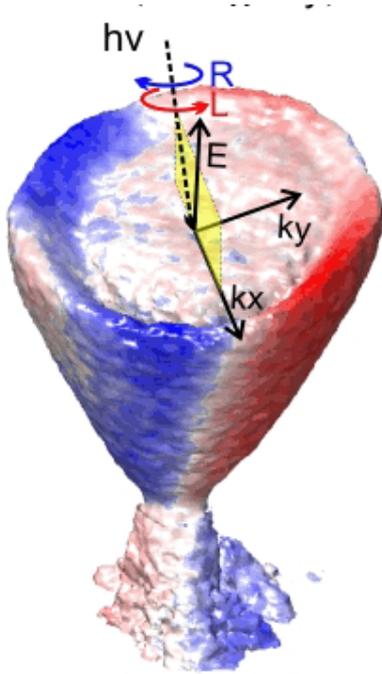
Independent measurement of $\langle S_x \rangle$ $\langle S_y \rangle$ $\langle S_z \rangle$
 over entire phase space

3D vectorial spin analysis

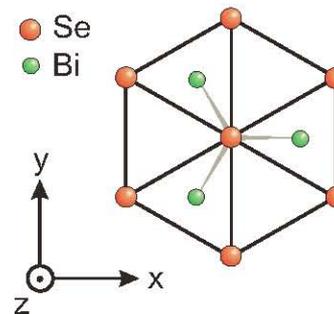
$$\Delta I \equiv I_R - I_L = \alpha \langle S_x \rangle \text{Re}(A_z^* A_y) + |\beta| \langle S_z \rangle \text{Im}(A_x^* A_y)$$

How to disentangle $\langle S_x \rangle$ and $\langle S_z \rangle$?

Use the symmetry properties...



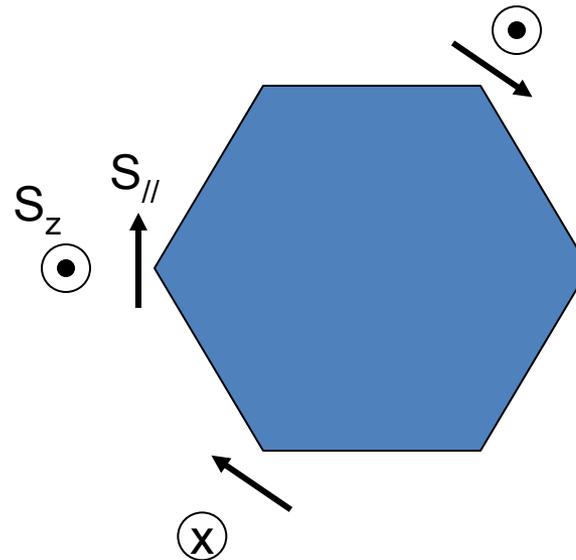
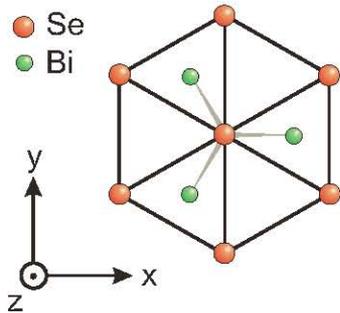
(b) $\text{Bi}_2\text{Se}_3(111)$



3D vectorial spin analysis

$$\Delta I \equiv I_R - I_L = \alpha \langle S_x \rangle \text{Re}(A_z^* A_y) + |\beta| \langle S_z \rangle \text{Im}(A_x^* A_y)$$

(b) $\text{Bi}_2\text{Se}_3(111)$



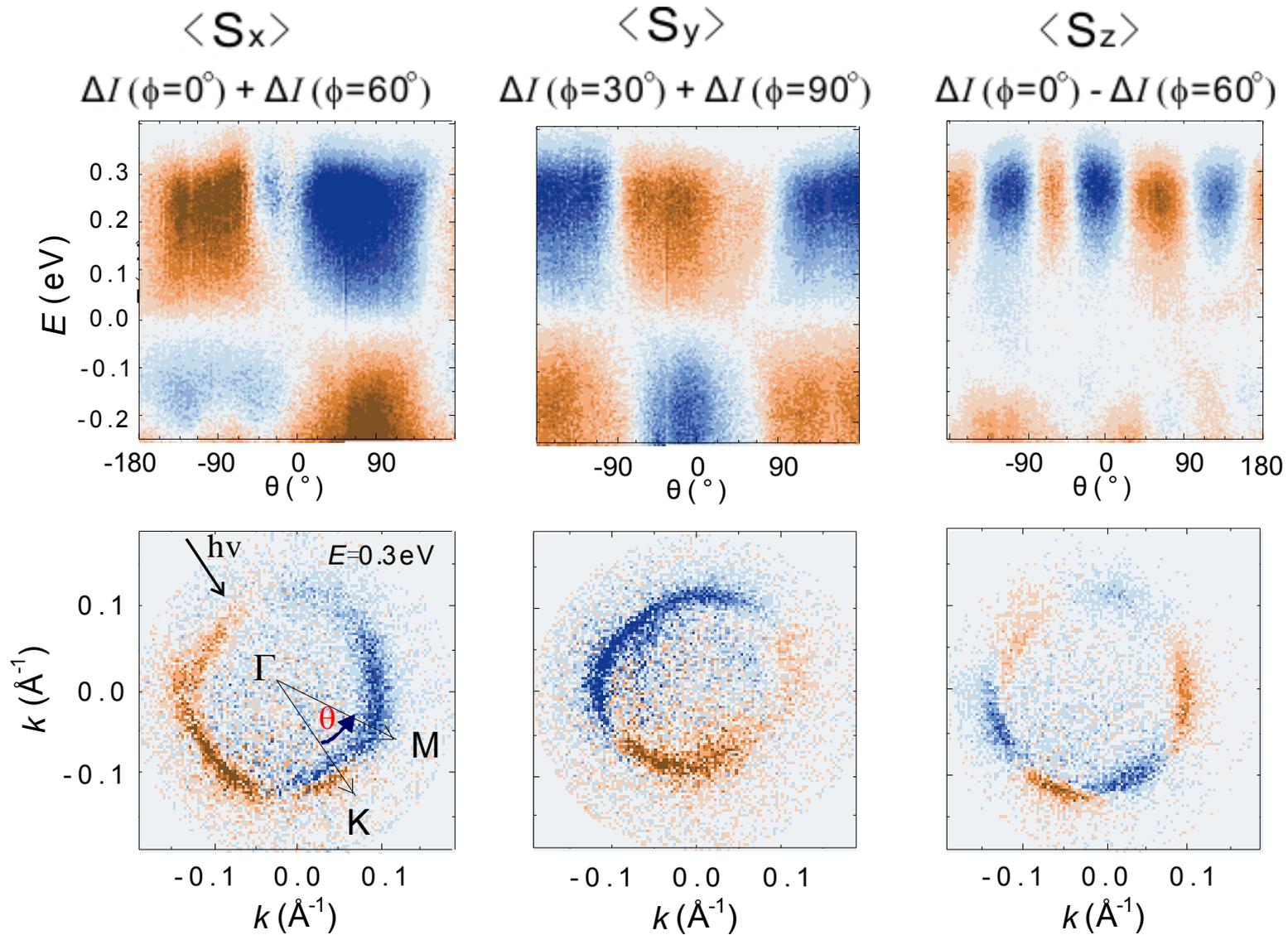
3 fold rotational symmetry

Time reversal symmetry

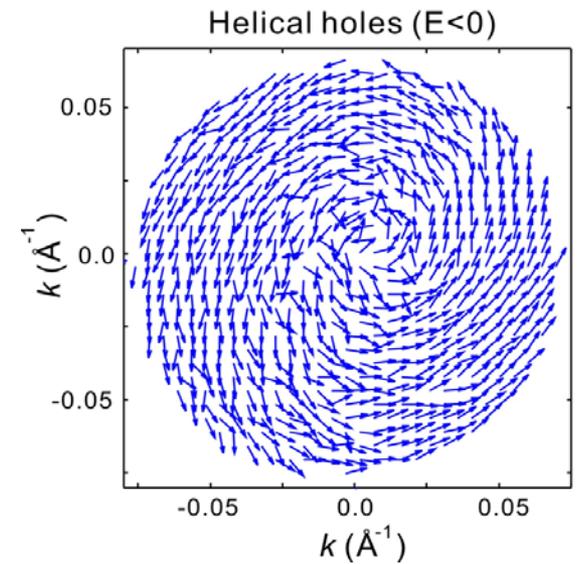
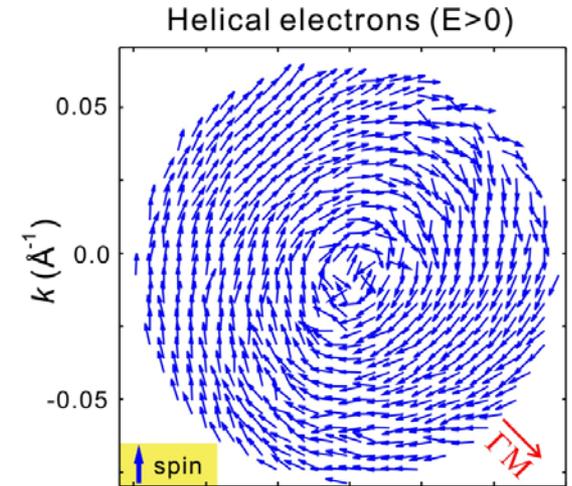
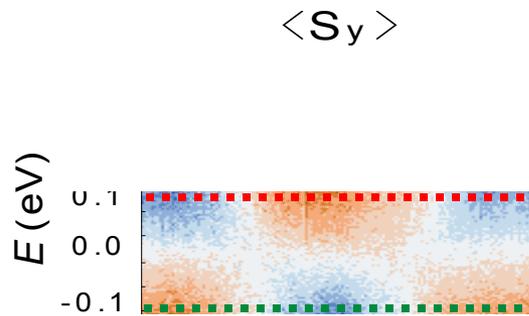
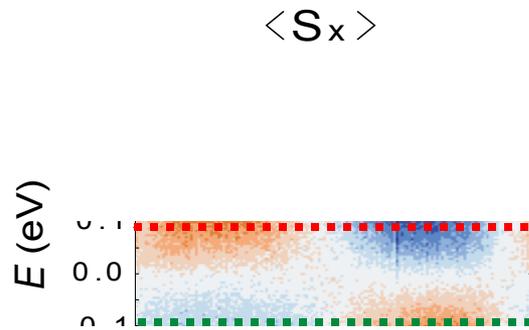
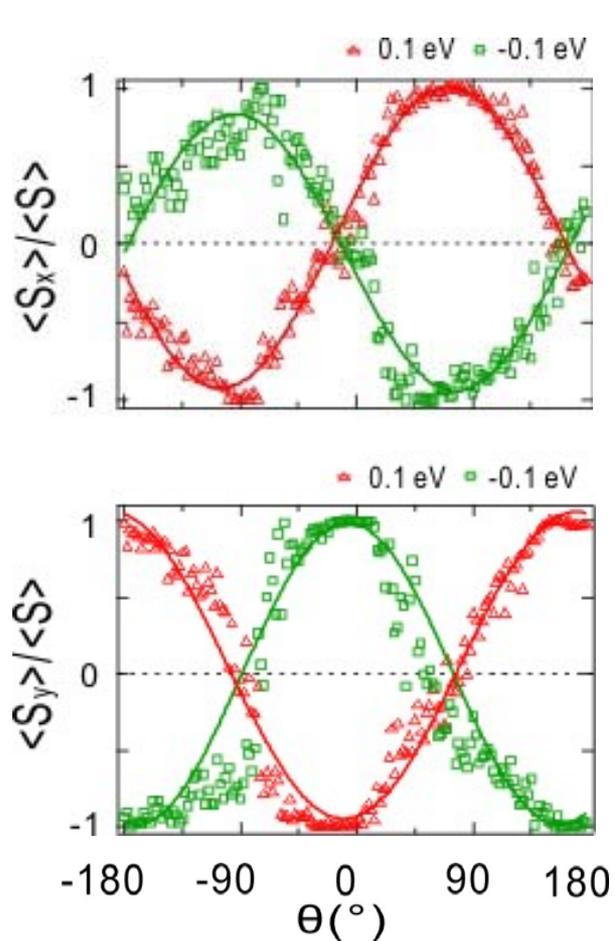
Under 60 degree rotation $\langle S_x \rangle \rightarrow \langle S_x \rangle$ while $\langle S_z \rangle \rightarrow \langle S_z \rangle$

$$\Delta I_{(60)} \equiv I_R - I_L = \alpha \langle S_x \rangle \text{Re}(A_z^* A_y) - |\beta| \langle S_z \rangle \text{Im}(A_x^* A_y)$$

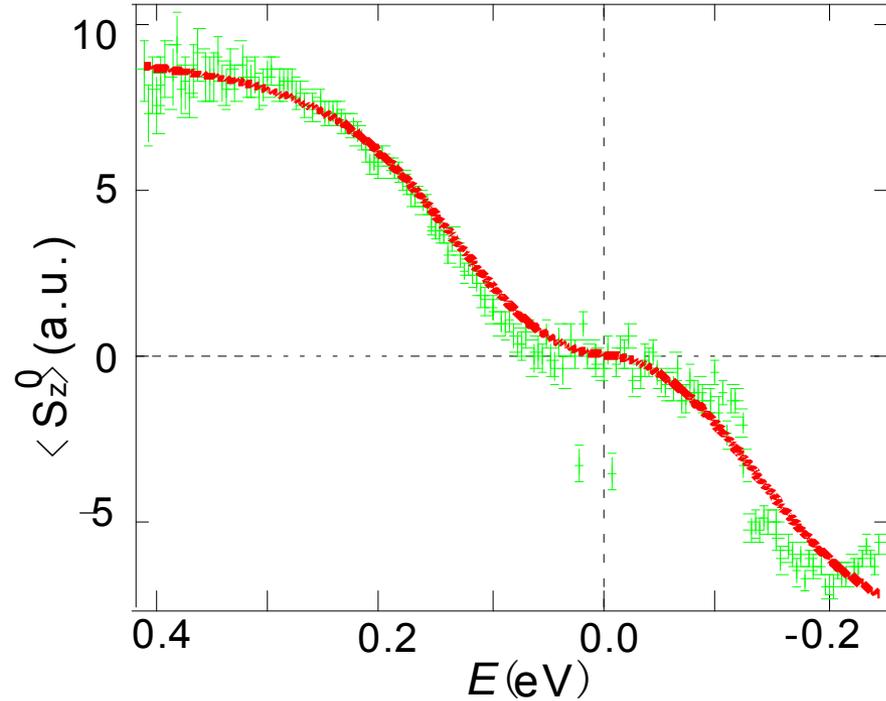
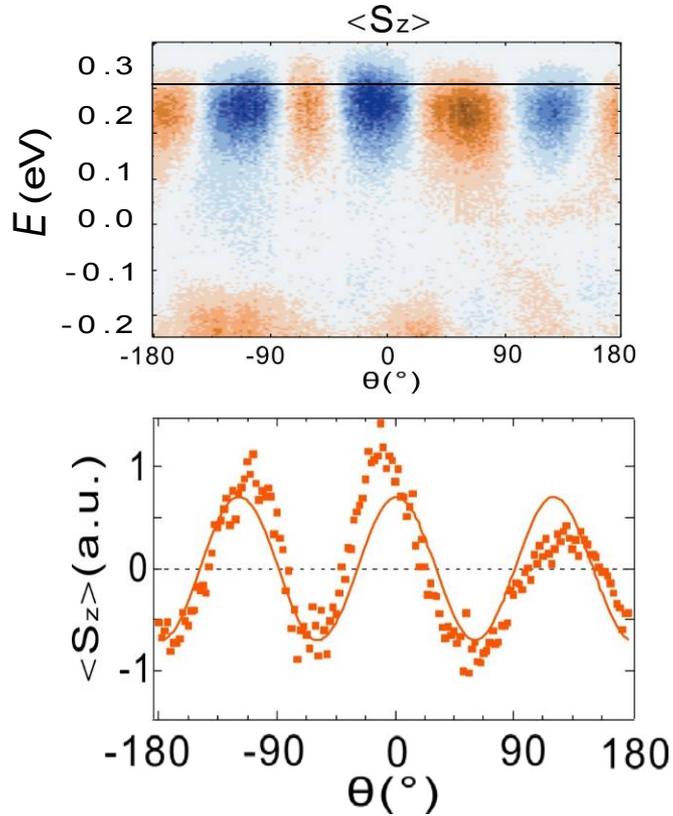
3D vectorial spin analysis



Spin texture in the Dirac limit



S_z energy dependence



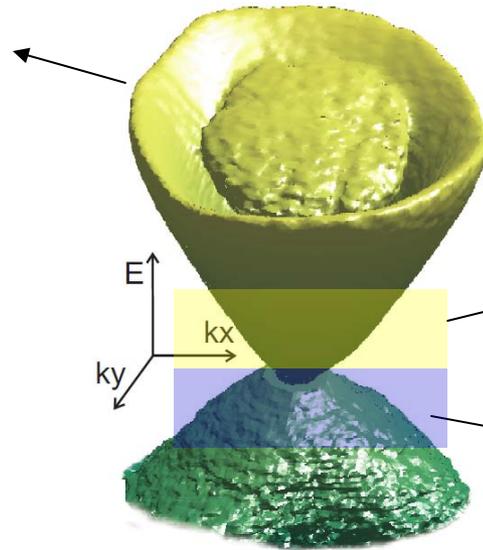
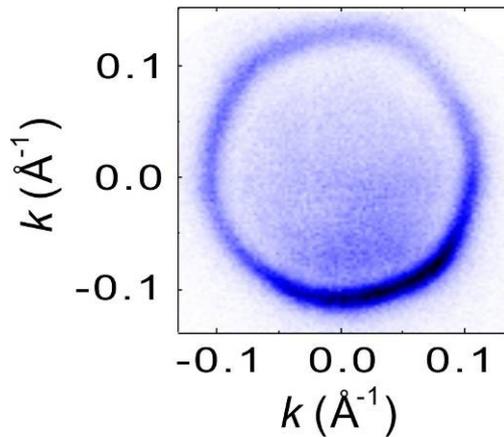
Fit to $k \cdot p$ theory

$$\langle S_z^0(E) \rangle = 1 / \sqrt{1 + [k(E)a]^{-4}}$$

Fu, PRL, 2010

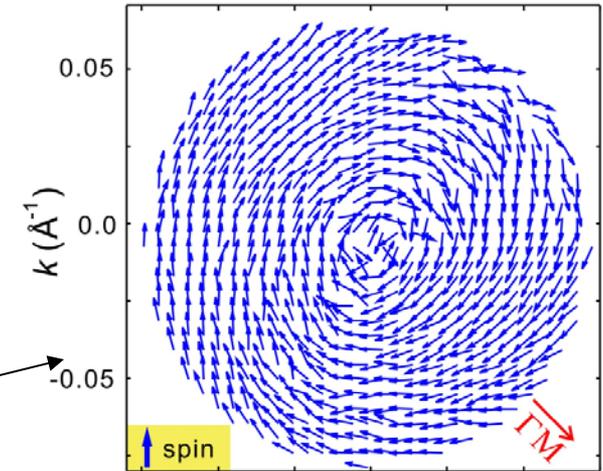
3D Spin texture in topological insulators

High Energy

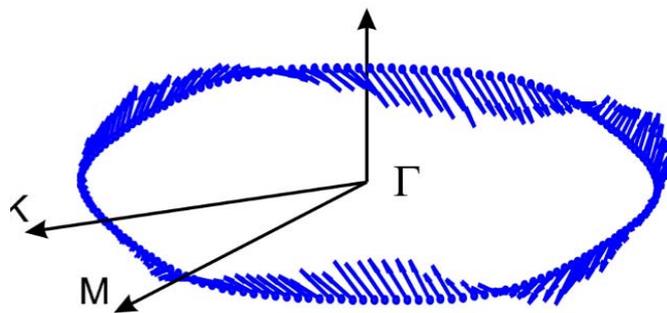
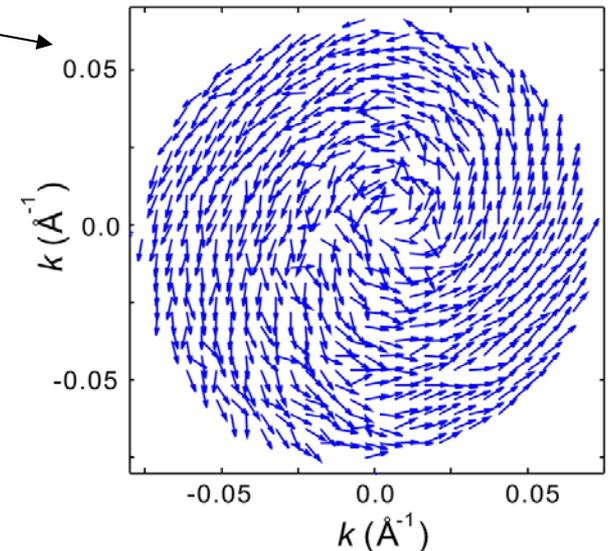


Low Energy

Helical electrons ($E > 0$)

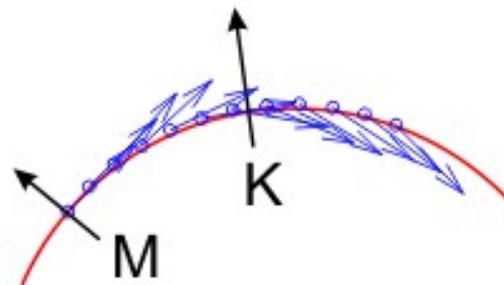
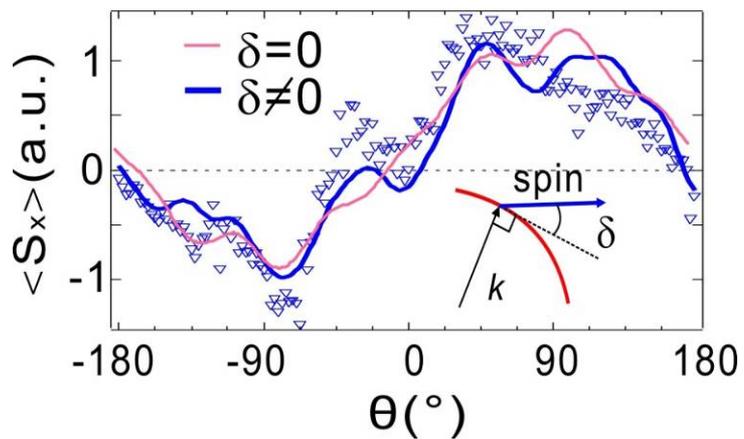
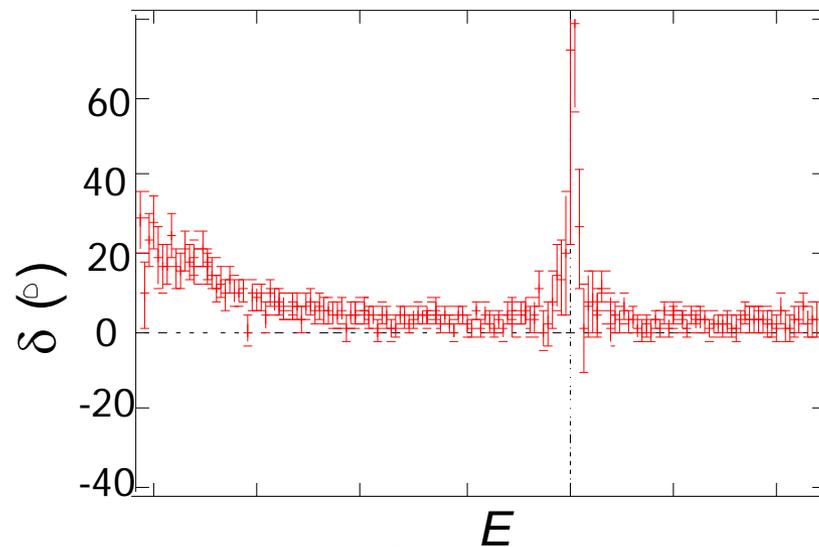
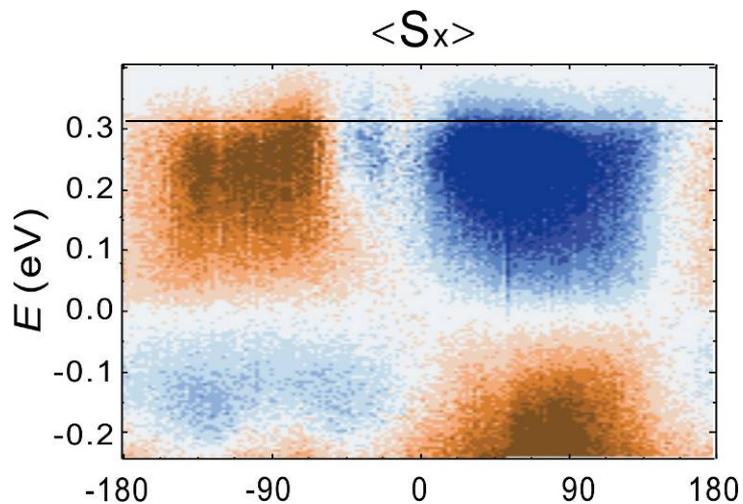


Helical holes ($E < 0$)



Deformed Dirac spin-texture

Unexpected in-plane spin canting



- Introduction to topological insulators (TIs)
- Direct visualization of spins in TIs with laser based ARPES
 - Angle resolved time-of flight based ARPES
 - Coupling to the spins with light
 - Detailed spin maps of topological insulators
- Conclusion & Outlook

- 3D band mapping with time of flight ARPES
- Achieved simultaneous vectorial spin mapping in TIs by using circularly polarized light
- Directly observed ideal helical spin texture at low energies and deviations from ideal behavior at high energies
- Revealed S_z and canting of the in-plane spins in Bi_2Se_3

